

```

[ > restart;
[ > nullst:=solve(x^2+p*x+q=0,x);
      nullst := -\frac{1}{2}p + \frac{1}{2}\sqrt{p^2 - 4q}, -\frac{1}{2}p - \frac{1}{2}\sqrt{p^2 - 4q}
[ > nullst[2];
      -\frac{1}{2}p - \frac{1}{2}\sqrt{p^2 - 4q}
[ > p:=x^3-4*x+1;
      p := x^3 - 4x + 1
[ > np:=solve(p=0,x);
np := \frac{1}{6}(-108 + 12I\sqrt{687})^{(1/3)} + 8\frac{1}{(-108 + 12I\sqrt{687})^{(1/3)}},
      -\frac{1}{12}(-108 + 12I\sqrt{687})^{(1/3)} - 4\frac{1}{(-108 + 12I\sqrt{687})^{(1/3)}} + \frac{1}{2}
      I\sqrt{3}\left(\frac{1}{6}(-108 + 12I\sqrt{687})^{(1/3)} - 8\frac{1}{(-108 + 12I\sqrt{687})^{(1/3)}}\right)
      -\frac{1}{12}(-108 + 12I\sqrt{687})^{(1/3)} - 4\frac{1}{(-108 + 12I\sqrt{687})^{(1/3)}} - \frac{1}{2}
      I\sqrt{3}\left(\frac{1}{6}(-108 + 12I\sqrt{687})^{(1/3)} - 8\frac{1}{(-108 + 12I\sqrt{687})^{(1/3)}}\right)
[ > np[1];

```

$$\frac{1}{6} (-108 + 12 I \sqrt{687})^{(1/3)} + 8 \frac{1}{(-108 + 12 I \sqrt{687})^{(1/3)}}$$

> evalf(%);

$$1.860805853 + .2 10^{-9} I$$

> np[2];

$$-\frac{1}{12} (-108 + 12 I \sqrt{687})^{(1/3)} - 4 \frac{1}{(-108 + 12 I \sqrt{687})^{(1/3)}} + \frac{1}{2}$$

$$I \sqrt{3} \left(\frac{1}{6} (-108 + 12 I \sqrt{687})^{(1/3)} - 8 \frac{1}{(-108 + 12 I \sqrt{687})^{(1/3)}} \right)$$

> evalf(%);

$$-2.114907542 + .3 10^{-9} I$$

> evalc(np[2]);

$$-\frac{1}{12} 192^{(1/3)} 3^{(1/6)} \cos\left(-\frac{1}{3} \arctan\left(\frac{1}{9} \sqrt{687}\right) + \frac{1}{3} \pi\right) - \frac{1}{144} 192^{(2/3)} 3^{(5/6)} \cos\left(-\frac{1}{3} \arctan\left(\frac{1}{9} \sqrt{687}\right) + \frac{1}{3} \pi\right) - \frac{1}{2} \sqrt{3} \left(\frac{1}{6} 192^{(1/3)} 3^{(1/6)} \sin\left(-\frac{1}{3} \arctan\left(\frac{1}{9} \sqrt{687}\right) + \frac{1}{3} \pi\right) + \frac{1}{72} 192^{(2/3)} 3^{(5/6)} \sin\left(-\frac{1}{3} \arctan\left(\frac{1}{9} \sqrt{687}\right) + \frac{1}{3} \pi\right) \right) + I \left(-\frac{1}{12} 192^{(1/3)} 3^{(1/6)} \sin\left(-\frac{1}{3} \arctan\left(\frac{1}{9} \sqrt{687}\right) + \frac{1}{3} \pi\right) \right)$$

$$\begin{aligned}
& + \frac{1}{144} 192^{(2/3)} 3^{(5/6)} \sin\left(-\frac{1}{3} \arctan\left(\frac{1}{9} \sqrt{687}\right) + \frac{1}{3} \pi\right) + \frac{1}{2} \sqrt{3} \left(\right. \\
& \frac{1}{6} 192^{(1/3)} 3^{(1/6)} \cos\left(-\frac{1}{3} \arctan\left(\frac{1}{9} \sqrt{687}\right) + \frac{1}{3} \pi\right) \\
& \left. - \frac{1}{72} 192^{(2/3)} 3^{(5/6)} \cos\left(-\frac{1}{3} \arctan\left(\frac{1}{9} \sqrt{687}\right) + \frac{1}{3} \pi\right) \right)
\end{aligned}$$

> simplify(%);

$$\begin{aligned}
& -\frac{2}{3} \sqrt{3} \cos\left(-\frac{1}{3} \arctan\left(\frac{1}{9} \sqrt{3} \sqrt{229}\right) + \frac{1}{3} \pi\right) \\
& - 2 \sin\left(-\frac{1}{3} \arctan\left(\frac{1}{9} \sqrt{3} \sqrt{229}\right) + \frac{1}{3} \pi\right)
\end{aligned}$$

> evalf(%);

-2.114907542

> q:=x^4-x-1;

$$q := x^4 - x - 1$$

> solve(q=0,x);

RootOf(_Z⁴ - _Z - 1, index = 1),

RootOf(_Z⁴ - _Z - 1, index = 2),

RootOf(_Z⁴ - _Z - 1, index = 3),

RootOf(_Z⁴ - _Z - 1, index = 4)

> allvalues(%[1]);

$$\begin{aligned}
& \frac{1}{12} \sqrt{6} \sqrt{\frac{(108 + 12 \sqrt{849})^{(2/3)} - 48}{(108 + 12 \sqrt{849})^{1/3}}} + \frac{1}{12} \sqrt{\left(\left(\begin{aligned} & -6 \sqrt{\frac{(108 + 12 \sqrt{849})^{(2/3)} - 48}{(108 + 12 \sqrt{849})^{1/3}}} (108 + 12 \sqrt{849})^{(2/3)} \\ & + 288 \sqrt{\frac{(108 + 12 \sqrt{849})^{(2/3)} - 48}{(108 + 12 \sqrt{849})^{1/3}}} \\ & + 72 \sqrt{6} (108 + 12 \sqrt{849})^{(1/3)} \end{aligned} \right) \left/ \left((108 + 12 \sqrt{849})^{1/3} \right) \right.} \\
& \left. \sqrt{\frac{(108 + 12 \sqrt{849})^{(2/3)} - 48}{(108 + 12 \sqrt{849})^{1/3}}} \right) \right)
\end{aligned}$$

> r:=x^5-3*x-1;

$$r := x^5 - 3x - 1$$

> solve (r=0, x);

- RootOf(_Z⁵ - 3_Z - 1, index = 1),
- RootOf(_Z⁵ - 3_Z - 1, index = 2),
- RootOf(_Z⁵ - 3_Z - 1, index = 3),
- RootOf(_Z⁵ - 3_Z - 1, index = 4),
- RootOf(_Z⁵ - 3_Z - 1, index = 5)

```

> allvalues(%[1]);
      RootOf(_Z5 - 3 _Z - 1, index = 1)
> fsolve(r=0, x);
      -1.214648043, -.3347341419, 1.388791984
> fsolve(r=0, x, complex);

> fsolve(r=0, x, -1..2);
      -.3347341419, 1.388791984
> solve(sin(x)=x, x);
      0
> solve(sin(x)=3*cos(x), x);
      arctan(3)
> solve(tan(x)=x, x);
      RootOf(-tan(_Z) + _Z)
> x1:=fsolve(tan(x)=x, x, avoid={x=0});
      x1 := -4.493409458
> fsolve(tan(x)=x, x, avoid={x=0, x=x1});
      4.493409458
> fsolve(tan(x)=x, x, 1..6);
>
      4.493409458
> g11:=x+y=3;
      g11 := x + y = 3
> g12:=x+c*y=4;
      g12 := x + c y = 4
> solve({g11, g12}, {x, y});

```

$$\left\{ y = \frac{1}{-1+c}, x = \frac{-4+3c}{-1+c} \right\}$$

```
> gl3:=subs(c=1,gl2);
```

$$gl3 := x + y = 4$$

```
> solve({gl1,gl3},{x,y});
```

```
> solve(x*x<=1,x);
```

$$\text{RealRange}(-1, 1)$$

```
> solve(a*x<1,{x});
```

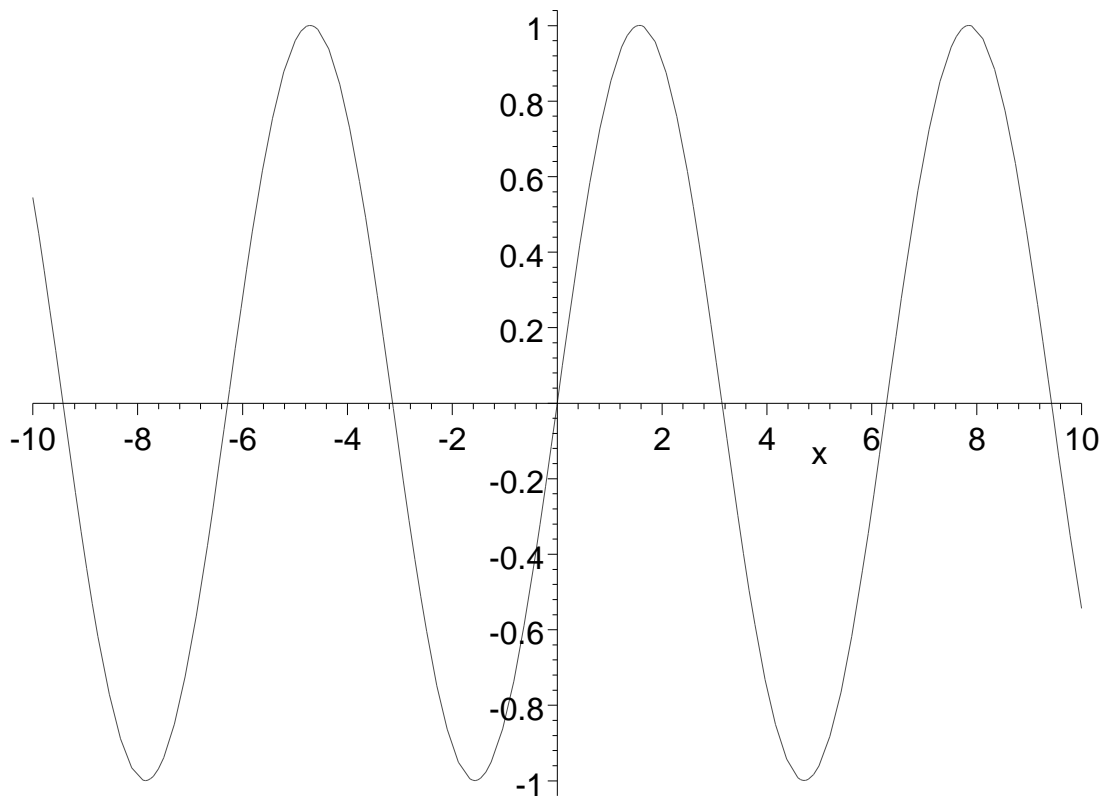
$$\left\{ x < \frac{1}{a} \right\}$$

```
> assume(a>0);
```

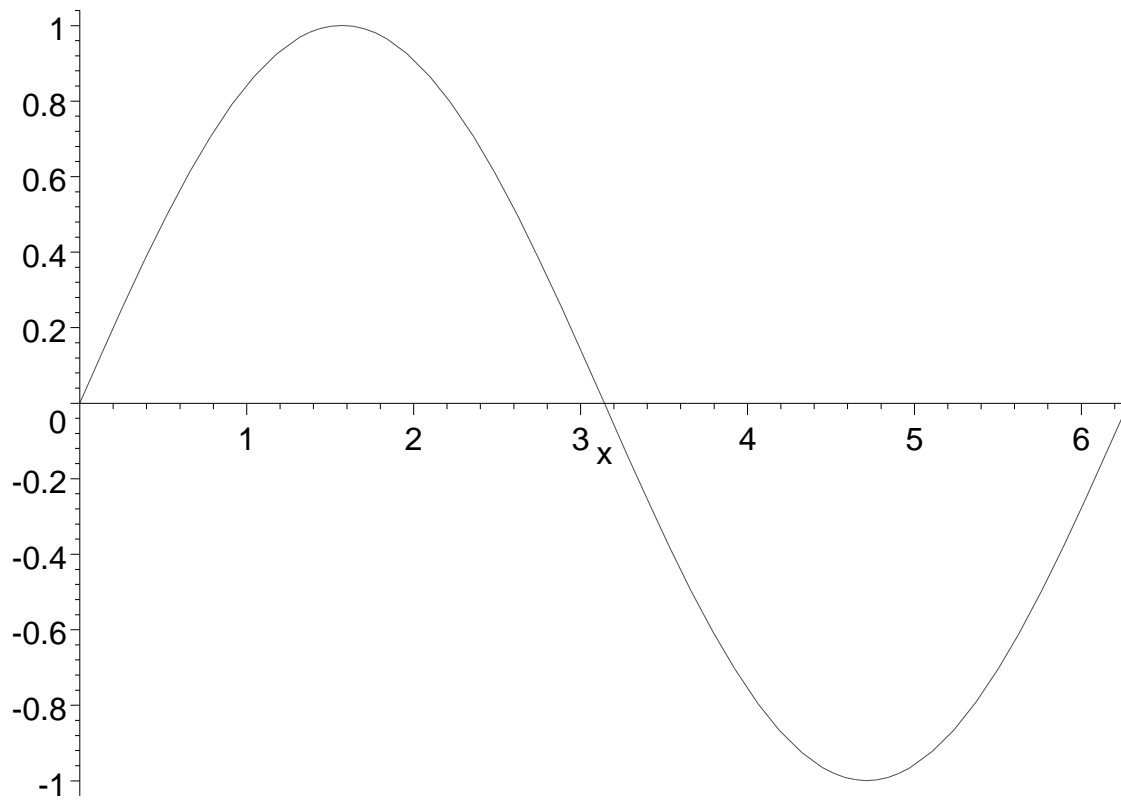
```
> signum(a);
```

1

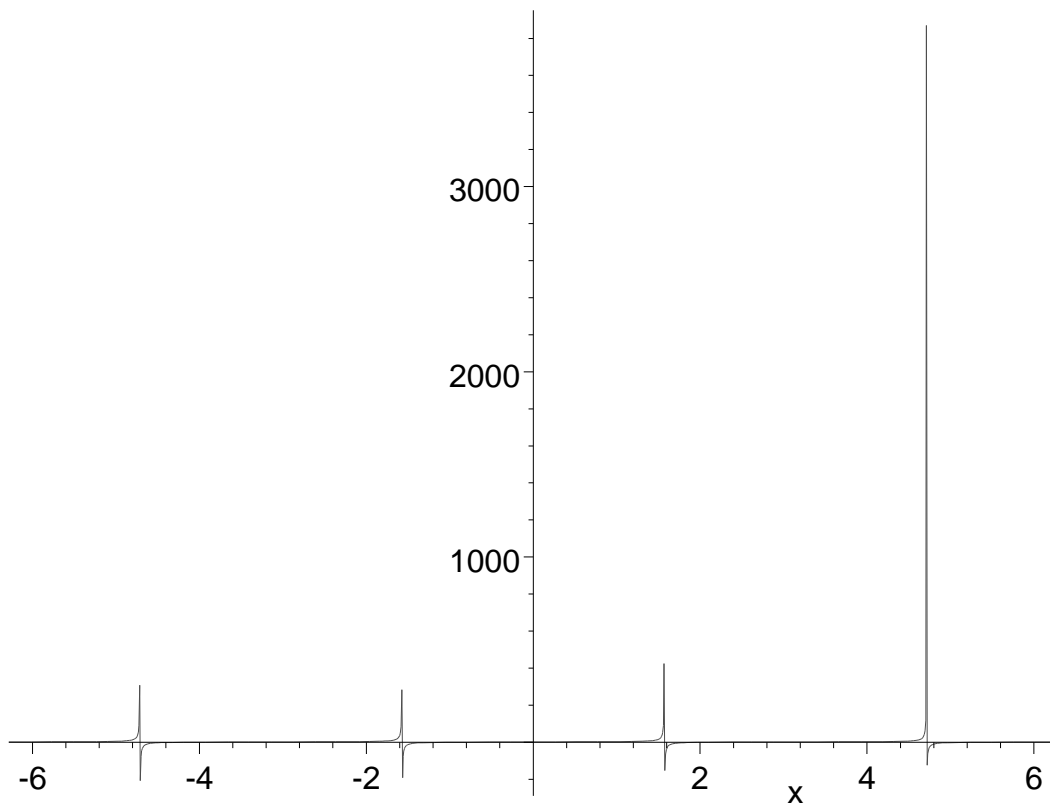
```
> plot(sin(x),x);
```



```
> plot(sin(x), x=0..2*Pi);
```

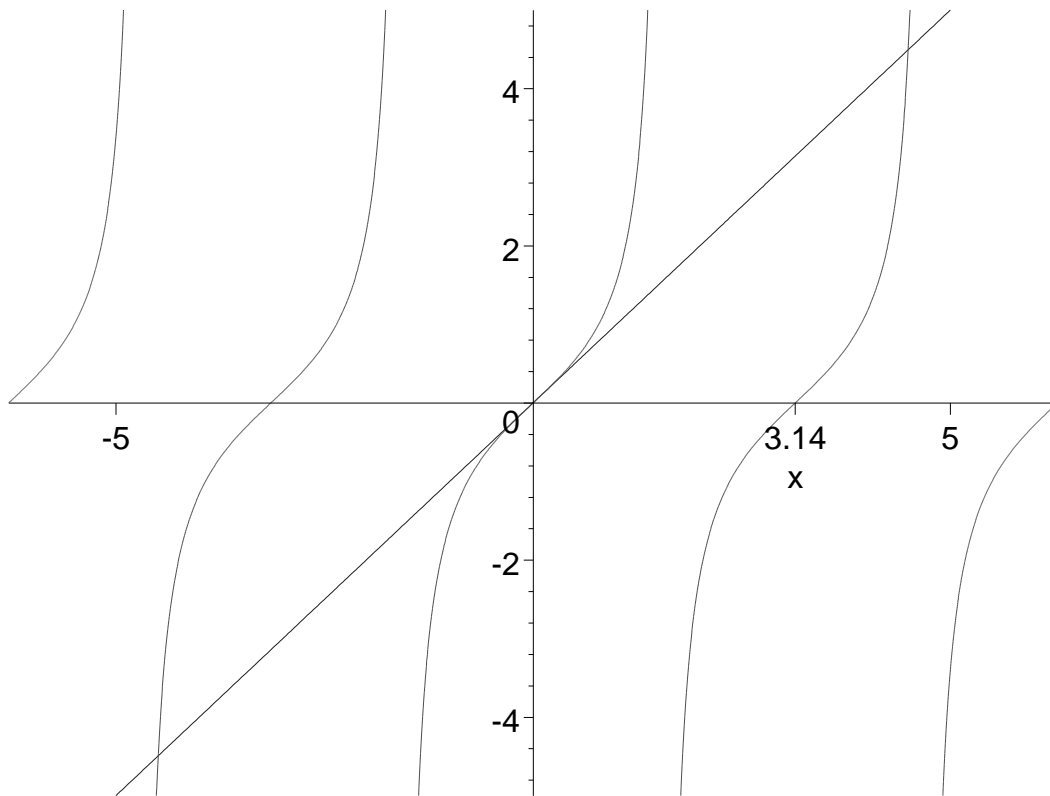


```
> plot(tan(x), x=-2*Pi..2*Pi);
```

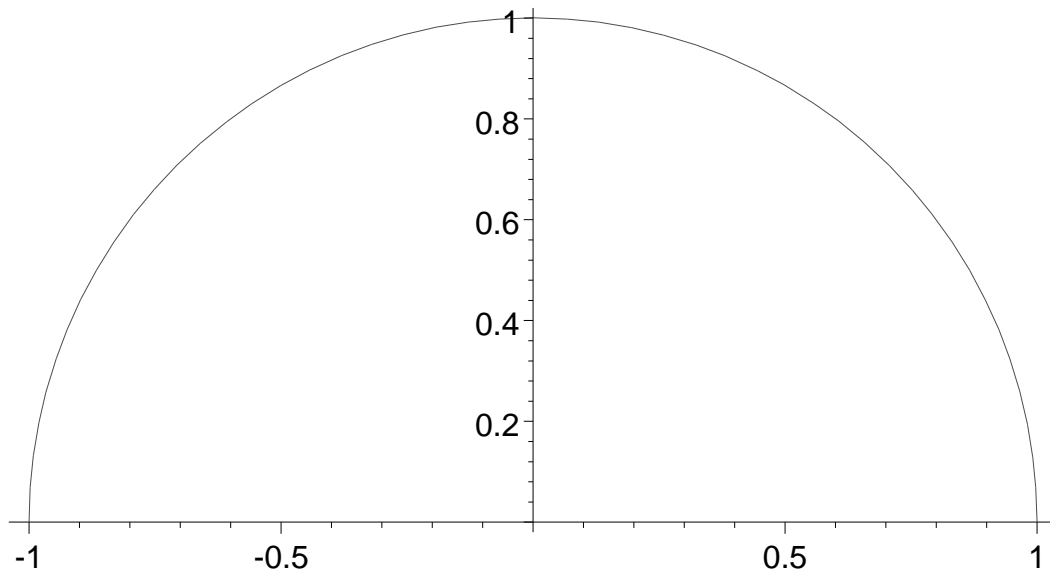



```
> plot({tan(x), x}, x=-2*Pi..2*Pi, -5..5, discontinuity=true, color=[blue, red], title='Fixpunkte des Tangens', xtickmarks=[-5, 3.14, 5], numpoints=500);
```

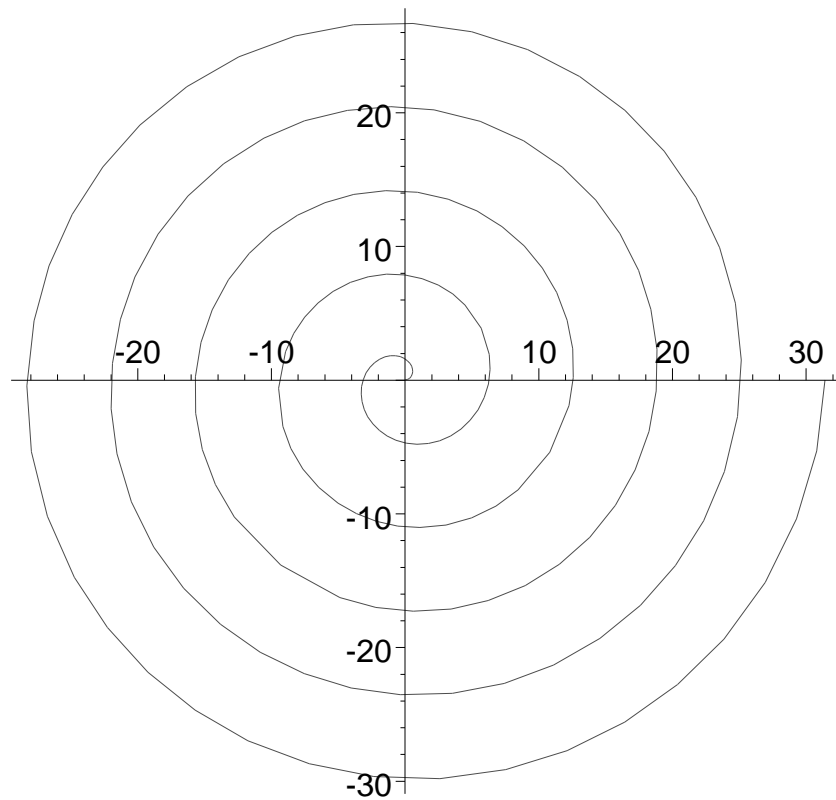
Fixpunkte des Tangens



```
> plot([cos(t), sin(t), t=0..Pi], scaling=constrained);
```



```
> plot([t*cos(t), t*sin(t), t=0..10*Pi], scaling  
=constrained);
```

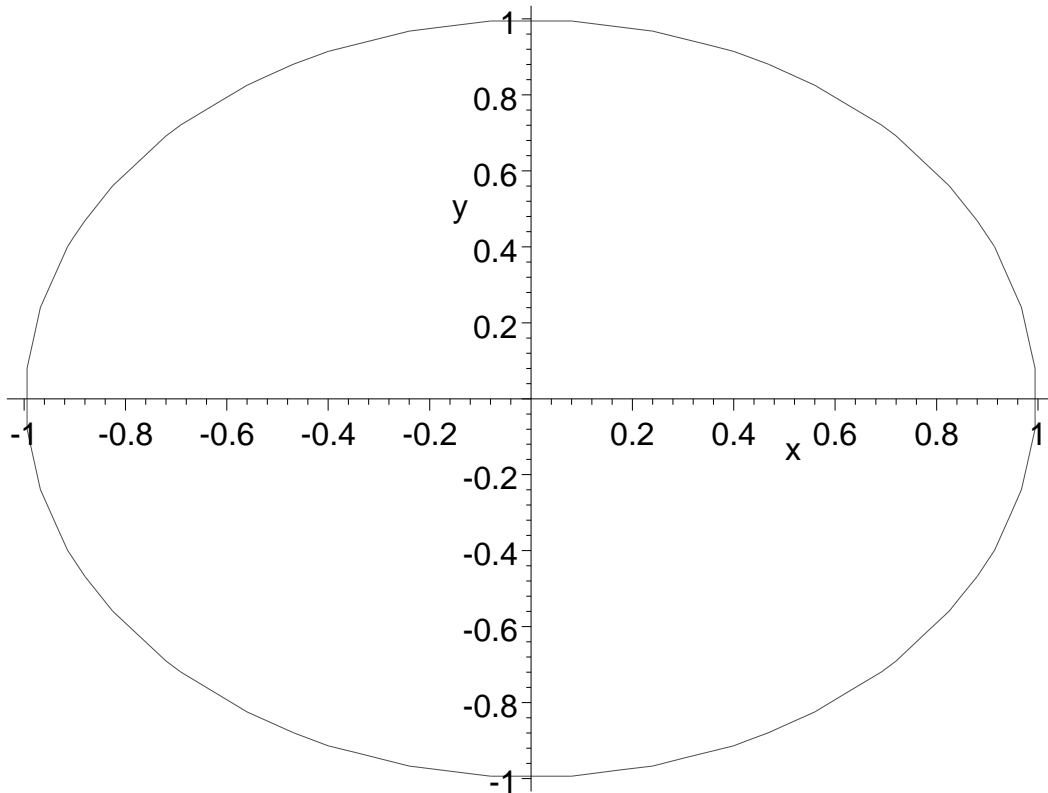


```
> with (plots) ;
```

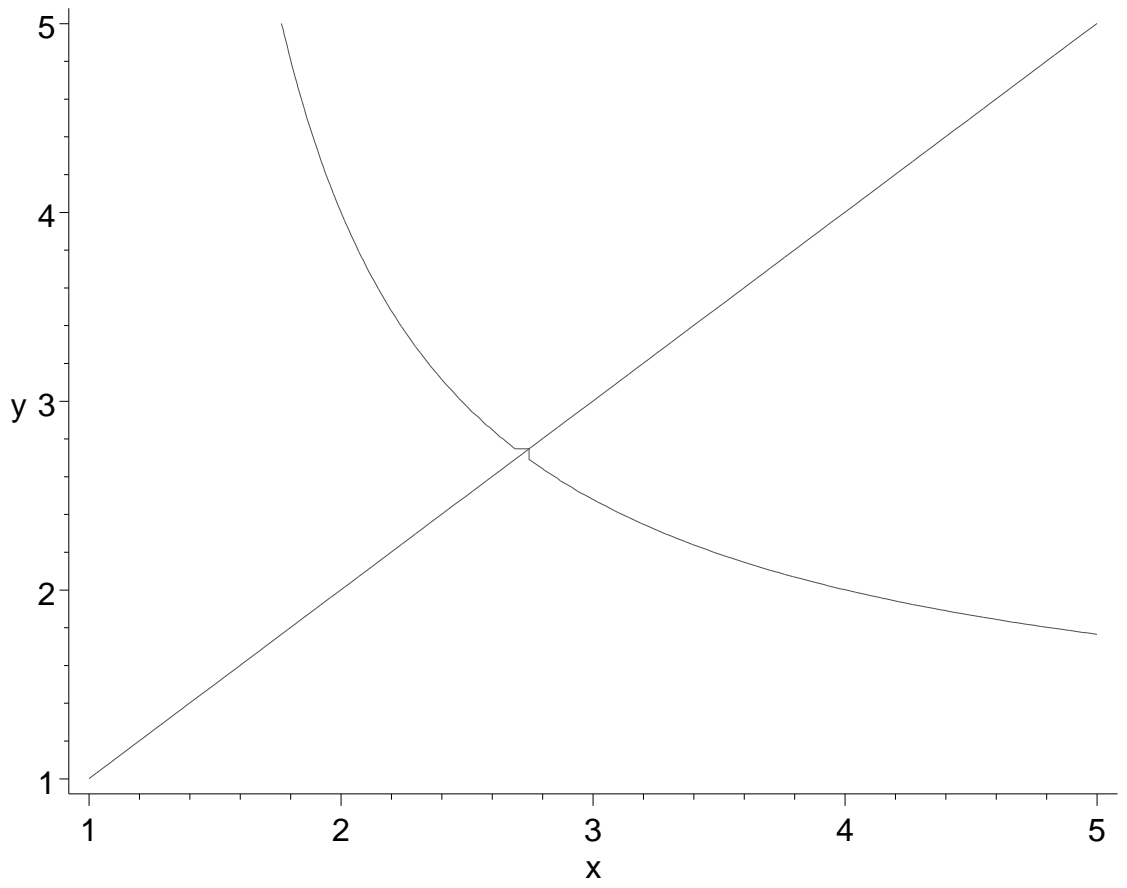
```
[animate, animate3d, animatecurve, changecoords, complexplot,
  complexplot3d, conformal, contourplot, contourplot3d, coordplot,
  coordplot3d, cylinderplot, densityplot, display, display3d,
  fieldplot, fieldplot3d, gradplot, gradplot3d, implicitplot,
  implicitplot3d, inequal, listcontplot, listcontplot3d, listdensityplot,
  listplot, listplot3d, loglogplot, logplot, matrixplot, odeplot, pareto,
  pointplot, pointplot3d, polarplot, polygonplot, polygonplot3d,
  polyhedra_supported, polyhedraplot, replot, rootlocus,
  semilogplot, setoptions, setoptions3d, spacecurve,
```

sparsematrixplot, sphereplot, surfdata, textplot, textplot3d, tubeplot]

```
> implicitplot(x^2+y^2=1, x=-2..2, y=-2..2);
```



```
> implicitplot(x^y=y^x, x=1..5, y=1..5, numpoint  
s=5000);
```



[>
[>
[>