

```

> p:=x^2+9*x-11;


$p := x^2 + 9x - 11$


> solve(p, x);


$-\frac{9}{2} + \frac{5}{2}\sqrt{5}, -\frac{9}{2} - \frac{5}{2}\sqrt{5}$


> q:=3*x^3-5*x+1;


$q := 3x^3 - 5x + 1$


> solve(q, x);
> simplify(evalc(%[2]));


$-\frac{1}{3}\sqrt{5} \left( \cos\left(-\frac{1}{3}\arctan\left(\frac{1}{9}\sqrt{419}\right) + \frac{1}{3}\pi\right) + \sqrt{3} \sin\left(-\frac{1}{3}\arctan\left(\frac{1}{9}\sqrt{419}\right) + \frac{1}{3}\pi\right) \right)$


> evalf(%);


-1.381298482


> r:=x^7-12*x^4+2*x^2+3*x+9;


$r := x^7 - 12x^4 + 2x^2 + 3x + 9$


> solve(r=0, x);
RootOf(_Z7 - 12_Z4 + 2_Z2 + 3_Z + 9, index = 1),
RootOf(_Z7 - 12_Z4 + 2_Z2 + 3_Z + 9, index = 2),
RootOf(_Z7 - 12_Z4 + 2_Z2 + 3_Z + 9, index = 3),
RootOf(_Z7 - 12_Z4 + 2_Z2 + 3_Z + 9, index = 4),
RootOf(_Z7 - 12_Z4 + 2_Z2 + 3_Z + 9, index = 5),
RootOf(_Z7 - 12_Z4 + 2_Z2 + 3_Z + 9, index = 6),
RootOf(_Z7 - 12_Z4 + 2_Z2 + 3_Z + 9, index = 7)
> fsolve(r=0, x, complex);
> s:=x^10-2*x^8+x^6-x^5-x^4+2*x^3+2*x^2-x-1;


$s := x^{10} - 2x^8 + x^6 - x^5 - x^4 + 2x^3 + 2x^2 - x - 1$


> ns:=solve(s=0, x);
ns := -1, -1, 1, 1, RootOf(_Z6 - _Z - 1, index = 1), RootOf(_Z6 - _Z - 1, index = 2),
RootOf(_Z6 - _Z - 1, index = 3), RootOf(_Z6 - _Z - 1, index = 4),
RootOf(_Z6 - _Z - 1, index = 5), RootOf(_Z6 - _Z - 1, index = 6)
> evalf(ns[5]);

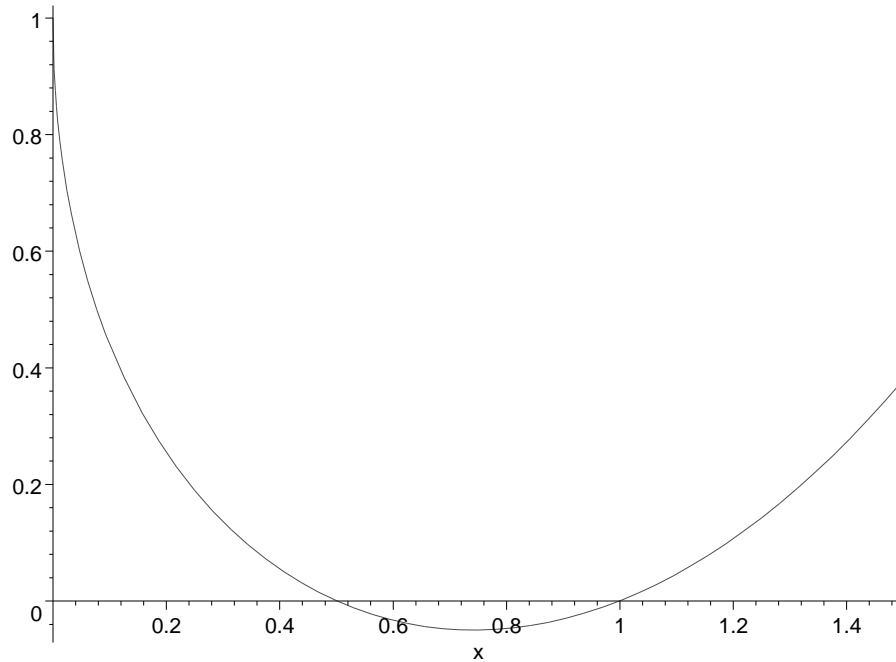

1.134724138


> solve(2^x=2*sqrt(x), x);

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$$\frac{1}{2}, 1$$

```
> plot(2^x-2*sqrt(x), x=0..1.5);
```



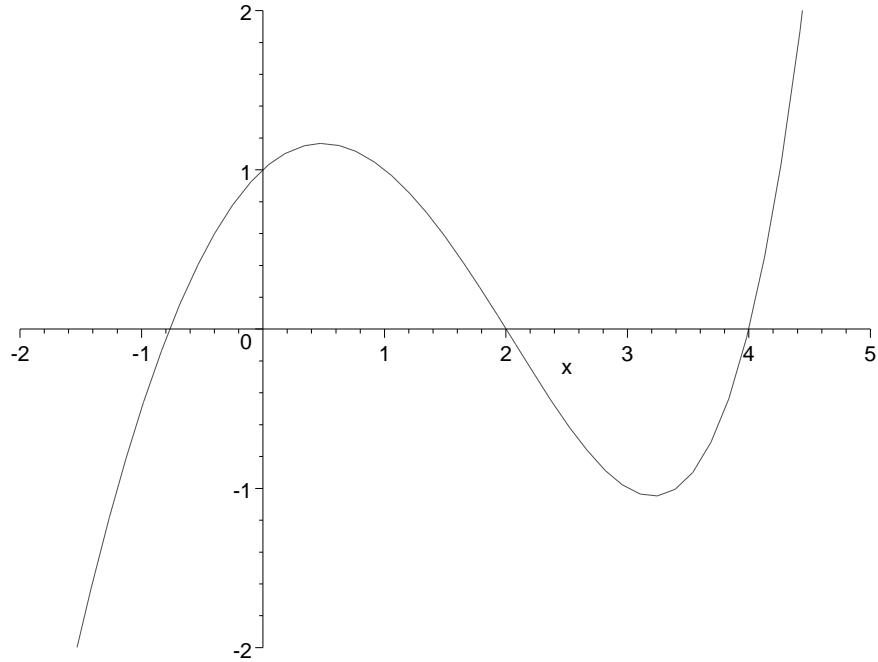
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> solve(2^x-x^2, x);
```

$$2, 4, -2 \frac{\text{LambertW}\left(\frac{1}{2} \ln(2)\right)}{\ln(2)}$$

```
> evalf(%);
```

2., 4., -.7666646958

```
> plot(2^x-x^2, x=-2..5, -2..2);
```



```
> gl1:=x+2*y+3*z=1;
```

$$gl1 := x + 2y + 3z = 1$$

```
> gl2:=4*x+5*y+6*z=-2;
```

$$gl2 := 4x + 5y + 6z = -2$$

```
> gl3:=7*x+8*y+a*z=b;
```

$$gl3 := 7x + 8y + az = b$$

```
> solve({gl1,gl2,gl3},{x,y,z});
```

$$\left\{ z = \frac{5+b}{-9+a}, y = 2 \frac{-14-b+a}{-9+a}, x = -\frac{-32-b+3a}{-9+a} \right\}$$

```
> solve({gl1,gl2,subs(a=9,gl3)},{x,y,z});
```

```
> f:=sin(Pi*x);
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$$f := \sin(\pi x)$$

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> n:=10;
```

$$n := 10$$

```
> g:=sum((-1)^k*(Pi*x)^(2*k+1)/(2*k+1)!,k=0..n);
```

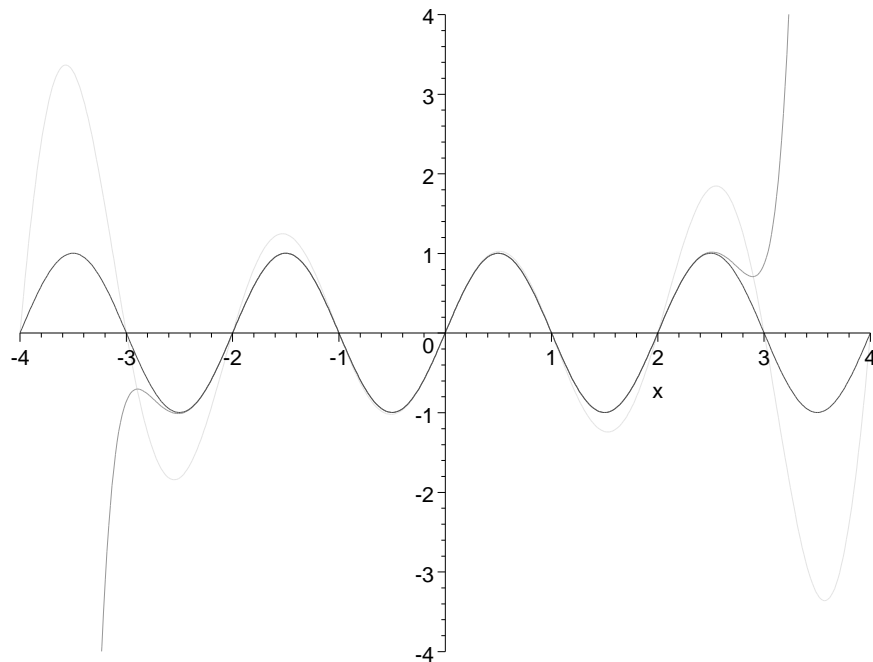
$$g := \pi x - \frac{1}{6} \pi^3 x^3 + \frac{1}{120} \pi^5 x^5 - \frac{1}{5040} \pi^7 x^7 + \frac{1}{362880} \pi^9 x^9 - \frac{1}{39916800} \pi^{11} x^{11} \\ + \frac{1}{6227020800} \pi^{13} x^{13} - \frac{1}{1307674368000} \pi^{15} x^{15} + \frac{1}{355687428096000} \pi^{17} x^{17}$$

$$-\frac{1}{121645100408832000} \pi^{19} x^{19} + \frac{1}{51090942171709440000} \pi^{21} x^{21}$$

```
> h:=Pi*x*product(1-x^2/k^2,k=1..10);
```

$$h := \pi x (1-x^2) \left(1 - \frac{1}{4}x^2\right) \left(1 - \frac{1}{9}x^2\right) \left(1 - \frac{1}{16}x^2\right) \left(1 - \frac{1}{25}x^2\right) \left(1 - \frac{1}{36}x^2\right) \left(1 - \frac{1}{49}x^2\right) \left(1 - \frac{1}{64}x^2\right) \left(1 - \frac{1}{81}x^2\right) \left(1 - \frac{1}{100}x^2\right)$$

```
> plot({f,g,h},x=-4..4,numpoints=500);
```



```
> solve(3*x^3+4*x^2>1,x);
```

$$\text{RealRange}\left(\text{Open}(-1), \text{Open}\left(-\frac{1}{6} - \frac{1}{6}\sqrt{13}\right)\right), \text{RealRange}\left(\text{Open}\left(-\frac{1}{6} + \frac{1}{6}\sqrt{13}\right), \infty\right)$$

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